

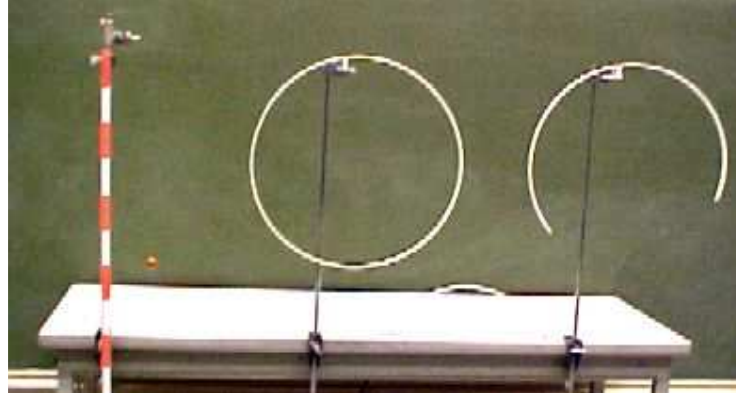
Physical pendulum (3)

Oscillating ring

Aim: To show a particular example of a compound pendulum.

Subjects: 3A15 (Physical Pendula)

Diagram:



Equipment:

- 2 large (steel) rings, $\phi=600$ with knife-edge suspension. These rings can be divided into $2/3$ and $1/3$.
- mathematical pendulum, $l=600$
- meterstick

Physical pendulum (3)

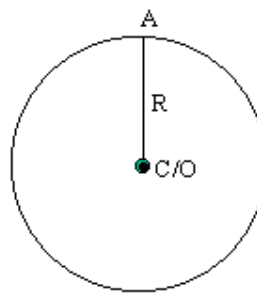
Oscillating ring

Presentation: One complete ring swings in its plane at the knife-edge on its periphery. A simple pendulum whose length is equal to the diameter of the ring is suspended beside it so the equality of periods can be observed.
 A second 2/3-ring is made swinging. It can be observed that the ring has still the same period!
 Again the same period is measured when 1/3-ring is swinging

Explanation:

- For a physical pendulum, the period T is given by $T = \frac{2\pi}{\sqrt{g}} \sqrt{\frac{I_A}{ms}}$.

If the pendulum is a complete ring, then $s=R$ (see Figure 1), $I_A = I_C + mR^2$ and



Figuur 1

$$I_C = mR^2. \text{ Then } T = \frac{2\pi}{\sqrt{g}} \sqrt{2R}, \text{ so } l_r = 2R.$$

So a complete ring has the same period as a mathematical pendulum of length $2R$.

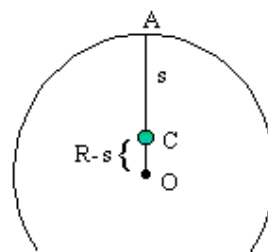


Figure 2

Physical pendulum (3)

Oscillating ring

- If the pendulum is part of a complete ring, $I_O = mR^2$ (Figure 2). Also $I_O = I_C + m(R-s)^2$ (C is the center of mass) and $I_A = I_C + ms^2$. It follows that $I_A = 2mRs$ and

$$T = \frac{2\pi}{\sqrt{g}} \sqrt{2R}. \text{ So again } l_e = 2R.$$

Sources:

- [Ehrlich, R., Why Toast Lands Jelly-Side Down: Zen and the Art of Physics Demonstrations](#), pag. 126-127
- [Roest, R., Inleiding Mechanica](#), pag. 169-170
- [Sutton, Richard Manliffe, Demonstration experiments in Physics](#), pag. 88